

Scalable Encryption Algorithm Design & Implementation using Flow Chart Approach

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ABSTRACT

The (putting into) use of (turning messages into secret code)/decryption set of computer instructions is the most extremely important part of the secure communication. In now existing (turning messages into secret code) sets of computer instructions there is a trade-off between putting into use cost and resulting performances. SEA is an (able to be made bigger or smaller) (turning messages into secret code) set of computer instructions targeted for small embedded computer programs. It was, at first, designed for software putting into uses in controllers, smart cards or processors. In this letter, we (ask lots of questions about/try to find the truth about) its performances in recent FPGA devices. For this purpose, a loop (related to the beautiful design and construction of buildings, etc.) of the block code/puzzle is presented.

Beyond its low cost performances, a significant advantage of the proposed (related to the beautiful design and construction of buildings, etc.) is its full flexibility for any limit/guideline of the (able to be made bigger or smaller) (turning messages into secret code) set of computer instructions, taking advantage of plain and common thing/not a brand-name drug Verilog HDL coding. The letter also carefully describes the putting into use details allowing us to keep small area needed things. Finally, a (serving to compare two or more things) performance discussion of SEA with the Advanced (turning messages into secret code) Standard Rijndael and ICEBERG(a code/puzzle purposed for (producing a lot with very little waste) FPGA putting into uses) is proposed.

It illustrates the interest of (raised, flat supporting surface)/context-oriented block calculates/codes design and, as far as SEA is concerned, its low area needed things and reasonable (wasting very little while working or producing something).

INTRODUCTION

Scalable encryption algorithm is targeted for small-embedded application with limited resources. SEA is a parametric block cipher for resource constrained systems (e.g. sensor networks, RFIDs) that has been introduced in [1]. It was initially designed as a low-cost encryption/authentication routine (i.e. with small code size and memory) targeted for processors with a limited instruction set(i.e. AND, OR, XOR gates, word rotation and modular addition). Additionally and contrary to most recent block ciphers (e.g.the DES [2] and AES Rijndael [3], [4]), the algorithm takes the plaintext, key and the bus sizes as parameters and therefore can be straightforwardly adapted to various implementation contexts and/or security requirements. Compared to older solutions for low cost encryption like TEA (Tiny Encryption Algorithm) [5] or Yuval's proposal [6], SEA also benefits from a stronger security analysis, derived from recent advances in block cipher design/cryptanalysis. In practice, SEA has been proven to be an efficient solution for embedded software applications using microcontrollers, but its hardware performances have not yet been investigated.

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Consequently, and as a first step towards hardware performance analysis, this letter explores the features of a low cost FPGA encryption/decryption core for SEA. In addition to the performance evaluation, we show that the algorithm's scalability can be turned into a fully generic Verilog HDL design, so that any text, key and bus size can be straightforwardly re-implemented without any modification of the hardware description language, with standard synthesis and implementation tools. In the rest of the letter, we first provide a brief description of the algorithm specifications. Then we describe the details of our generic loop architecture and its implementation results. Finally, we discuss some illustrative comparisons of the hardware performances of SEA, the AES Rijndael and ICEBERG (a cipher purposed for efficient FPGA implementations) with respect to their design approach (e.g. flexible vs. platform/context-oriented).

II. ALGORITHM DESCRIPTION

Parameters and definitions

SEA n, b operates on various text, key and word sizes. It is based on a Feistel structure with a variable number of rounds, and is defined with respect to the following parameters:

- n : plaintext size, key size.
- b : processor (or word) size.
- $n_b = n/2b$: number of words per Feistel branch.
- n_r : number of block cipher rounds.

As only constraint, it is required that n is a multiple of $6b$ (see[1] for the details). For example, using an 8-bit processor, we can derive a 96-bit block ciphers, denoted as SEA96,8.

Let x be a $n/2$ -bit vector. We consider two representations:

- Bit representation: $x_b = x(n/2-1) \dots x(2) x(1) x(0)$.
- Word representation: $x_w = x_{nb-1} x_{nb-2} \dots x_2 x_1 x_0$.

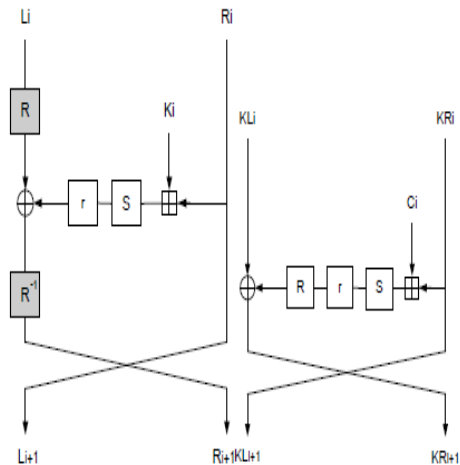


Fig. 1. Encrypt/decrypt round and key round.

Basic operations

Due to its simplicity constraints, SEAn,b is based on a limited number of elementary operations (selected for their availability in any processing device) denoted as follows:

- (1) bitwise XOR \oplus ,
- (2) addition mod 2^b \boxplus ,
- (3) a 3-bit substitution box $S := \{0, 5, 6, 7, 4, 3, 1, 2\}$ that can be applied bitwise to any set of 3-bit words for efficiency purposes. In addition, we use the following rotation operations:
- (4) Word rotation R , defined on n_b -word vectors:

$$R : \mathbb{Z}_{2^b}^{n_b} \rightarrow \mathbb{Z}_{2^b}^{n_b} : x \rightarrow y = R(x) \Leftrightarrow \begin{aligned} y_{i+1} &= x_i, 0 \leq i \leq n_b - 2, \\ y_0 &= x_{n_b-1} \end{aligned}$$

- (5) Bit rotation r , defined on n_b -word vectors:

$$r : \mathbb{Z}_{2^b}^{n_b} \rightarrow \mathbb{Z}_{2^b}^{n_b} : x \rightarrow y = r(x) \Leftrightarrow \begin{aligned} y_{3i} &= x_{3i} \ggg 1, \\ y_{3i+1} &= x_{3i+1}, \\ y_{3i+2} &= x_{3i+2} \lll 1, \end{aligned}$$

where $0 \leq i \leq n_b/3 - 1$ and \ggg and \lll respectively represent the cyclic right and left shifts inside a word.

The round and key round

Based on the previous definitions, the encrypt round FE, decrypt round FD and key round FK are pictured in Figure 1 and defined as:

$$\begin{aligned}
 [L_{i+1}, R_{i+1}] &= F_E(L_i, R_i, K_i) \Leftrightarrow R_{i+1} = R(L_i) \oplus r(S(R_i \boxplus K_i)) \\
 L_{i+1} &= R_i \\
 [L_{i+1}, R_{i+1}] &= F_D(L_i, R_i, K_i) \Leftrightarrow R_{i+1} = R^{-1}(L_i \oplus r(S(R_i \boxplus K_i)) \\
 L_{i+1} &= R_i \\
 [KL_{i+1}, KR_{i+1}] &= F_K(KL_i, KR_i, C_i) \Leftrightarrow KR_{i+1} = KL_i \oplus R(r(S(KR_i \boxplus C_i)) \\
 KL_{i+1} &= KR_i
 \end{aligned}$$

The complete cipher

The cipher iterates an odd number n_r of rounds. The following pseudo-C code encrypts a plaintext P under a key K and produces a ciphertext C . P, C and K have a parametric bit size n . The operations within the cipher are performed considering parametric b -bit words.

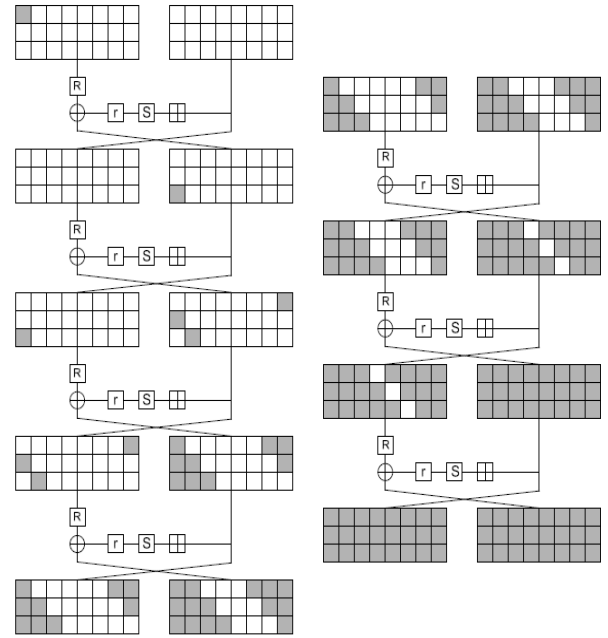
$C = \text{SEAn}, b(P, K)$

```

{
% initialization:
L0 & R0 = P;
KL0 & KR0 = K;
% key scheduling:
for i in 1 to  $\lfloor \frac{n_r}{2} \rfloor$ 
     $[KL_i, KR_i] = F_K(KL_{i-1}, KR_{i-1}, C(i));$ 
switch  $KL_{\lfloor \frac{n_r}{2} \rfloor}, KR_{\lfloor \frac{n_r}{2} \rfloor}$ ;
for i in  $\lceil \frac{n_r}{2} \rceil$  to  $n_r - 1$ 
     $[KL_i, KR_i] = F_K(KL_{i-1}, KR_{i-1}, C(r - i));$ 

% encryption:
for i in 1 to  $\lceil \frac{n_r}{2} \rceil$ 
     $[L_i, R_i] = F_E(L_{i-1}, R_{i-1}, KR_{i-1});$ 
for i in  $\lceil \frac{n_r}{2} \rceil + 1$  to  $n_r$ 
     $[L_i, R_i] = F_D(L_{i-1}, R_{i-1}, KL_{i-1});$ 
% final:
C =  $R_{n_r} \& L_{n_r}$ ;
switch  $KL_{n_r-1}, KR_{n_r-1}$ ;
},

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where $\&$ is the concatenation operator, $KR_{\lfloor n_r/2 \rfloor}$ is taken before the switch and $C(i)$ is a nb -word vector of which all the words have value 0 excepted the LSW that equals i . Decryption is exactly the same, using the decrypt round FD .

III. IMPLEMENTATION OF A LOOP ARCHITECTURE

A. Description

The structure of our loop architecture for SEA is depicted in figure 2, with the round function on the left part and the key schedule on the right part. Resource-consuming blocks are the Sboxes and the mod2b adder; the Word Rotate and Bit Rotate blocks are implemented by swapping wires. According to the Specifications, the key schedule contains two multiplexors allowing to switch the right and left part of the round key at half the execution of the algorithm using the appropriate command signal Switch. The multiplexor controlled by HalfExec provides the round function with the right part of the round key for the first half of the execution and transmits its left part instead after the switch.

To support both encryption and decryption, we finally added two multiplexors controlled by the Encrypt signal. Supplementary area consumption will be caused by the two routing paths.

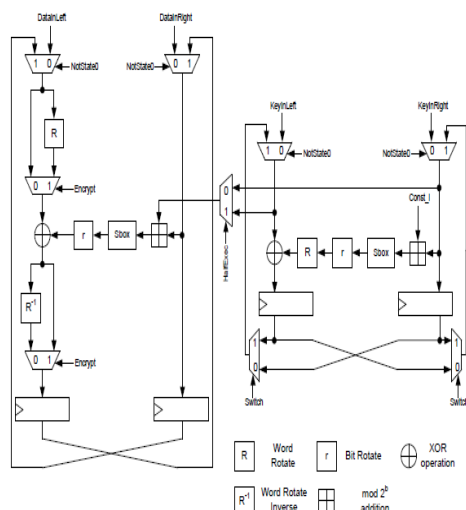
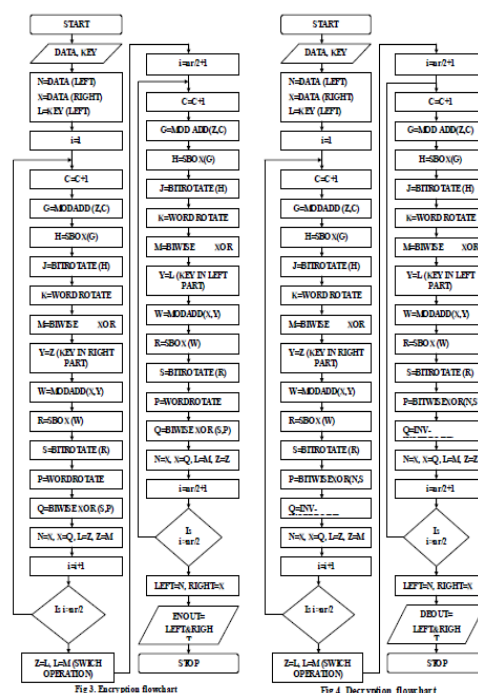


Fig. 2. Loop implementation of SEA.

The algorithm can easily benefit from a modular implementation, taking as only mandatory parameters the size of the plaintexts and keys n and the word length b . The number of rounds nr is an optional input that can be automatically derived from n and b according to the guidelines given in [1]. From the datapath description of Figure 2, a scalable design can then be straightforwardly obtained by using generic Verilog HDL coding. A particular care only has to be devoted to an efficient use of the $\text{mod } 2^b$ adders in the key scheduling part. In the round function, the $\text{mod } 2^b$ adders are realized by using n_b b -bits adders working in parallel without carry propagation between them. However, in the key schedule, the signal Const_i (provided by the control part) can only take a value between 0 and $nr/2$. Therefore, it may not be necessary to use nb adders. If $\log_2(nr/2) \leq b$, then a single adder is sufficient. If $\log_2(nr/2) > b$, then $\lceil \log_2(nr/2)/2 \rceil$ adders will be required. In the next section, we detail the implementation results of this architecture for different parameters.

B. ENCRYPTION AND DECRYPTION FLOWCHART

Figure 3 shows the encryption flow chart used in the design of the program. The data and key are the inputs. In the next step both inputs are divided into two parts and applied to the processing blocks. The encryption is completed in two loop operations. In the first loop i will take a value of 1 to $nr/2$. That is the half execution part, the right part of the key is selected during this operation. Both key and data swap in the end of each iteration. After finishing the half execution, a switch operation is performed. It is done by swapping the left and right parts of the key and the remaining rounds the key part will not swap in the next loop. The same operation is performed in the next loop except that the left part of the key is selected in the round operation. Finally, the encryption output is taken by concatenating the right and left parts of the encryption round. Figure 4 shows the decryption flow chart, the same process is done during this flowchart except that the inverse word rotation operation is performed after bit rotation, instead of in the encryption round the word rotation is performed before bit rotation.



C. Implementation results

Implementation results were extracted after place and route with the ISE 9.2i tool from Xilinx on a xc4vlx25 VIRTEX-4 platform with speed grade -12. In order to illustrate the modularity of our architecture, we ran the design tool for different sets of parameters, with plaintext/key sizes n ranging from 48 to 144 bits and word lengths of 4, 6, 7, 8, and 12 bits. For the control part, we used the recommended number of rounds

$$n_r = \left\lceil 3 \frac{n}{4} + 2 \left(\frac{n}{2b} + \frac{b}{2} \right) \right\rceil$$

The computed implementation costs stand for both the operative and control parts. A summary of these results is presented in table I, where the area requirements (in slices), the work frequency and the throughput are provided. We observe that the obtained values for the work frequency are very close for all the implementations. Indeed, the critical path (passing through the key scheduling multiplexors, a mod $2b$ adder, the RoundFunction Sbox, a XOR operator and the multiplexor selecting between encryption or decryption paths) is very similar for any of our selected values for n and b .

TABLE I
IMPLEMENTATION RESULTS FOR SEA WITH DIFFERENT n AND b PARAMETERS

n	b	n_r	# of slices	# of slice FFs	Output every cycle	Freq (MHz)	Throughput (Mbits/sec)	Thr./Area (Mbits/sec /slice)
48	4	55	197	127	1/55	237	207	1.049
48	8	51	176	131	1/51	234	220	1.250
72	4	77	296	194	1/77	243	228	0.769
72	6	73	258	194	1/73	242	238	0.924
72	12	73	263	198	1/73	242	239	0.908
96	4	95	368	241	1/95	242	244	0.663
96	8	93	333	246	1/93	238	245	0.737
108	6	111	376	280	1/111	241	235	0.625
126	7	117	438	328	1/117	241	260	0.593
132	11	121	448	330	1/121	227	248	0.554
144	4	149	604	376	1/149	241	233	0.385
144	6	139	488	359	1/139	241	250	0.512
144	8	135	496	371	1/135	241	257	0.518
144	12	133	478	352	1/133	223	236	0.495

For a given n value, it is noticeable that increasing b decreases the number of rounds n_r and therefore improves the throughput (since work frequencies are close in all our examples). Similarly, for our set of

parameters, increasing b for a given n generally decreases the area requirements in slices. These observations lead to the empirical conclusion that, as long as the b parameter is not a limiting factor for the work frequency, increasing the word size leads to the most efficient implementations for both area and throughput reasons.

D. Comparisons with other block ciphers

For our comparative discussions, we reported a few implementation results of the AES Rijndael in Table II. We selected the implementations in [7], [8] and [9] because their design choices fit relatively well with those of the presented SEA architectures. Mainly, these cores do not take advantage of RAM blocks nor loop unrolling. The four first cores all correspond to loop architectures with a 128-bit datapath. They respectively have no pipeline (Pipe0) or a 3-stage pipeline (Pipe3) and use LUT-based or distributed RAM-based Sboxes. The fifth referenced implementation [7] uses a 32-bit datapath and consequently reduces the area requirements at the cost of a smaller throughput. Finally, [8] uses a 128-bit datapath with a pipelined composite field description of the Sbox. As a matter of fact, a lot of other FPGA implementations of the AES can be found in the open literature, e.g. taking advantage of different datapath sizes, FPGA RAM blocks, pipelining, unrolling techniques, ..., e.g. [10], [11], [12] and [13].

Additionally, we compared these results with those obtained for ICEBERG, a block cipher optimized for reconfigurable hardware devices. Details on the ICEBERG architecture and different possible implementation tradeoffs are discussed in [14]. The reported result corresponds to a single-round loop architecture without pipeline. Compared to the AES Rijndael, ICEBERG is built upon a combination of 4-bit operations that perfectly fit into the FPGAs LUTs which intently results in a very good ratio between throughput and area. The implementation results in Table II lead to the following observations.

First, in terms of area requirements (for a datapath size equal to the block size), SEA generally exhibits the smallest cost. Measuring the area efficiency with the bit per slice metric leads to a similar conclusion. Of course, the area requirements of, e.g. the AES Rijndael could still be decreased by using smaller datapaths [15] and such a comparative table only serves as an indicator rather than a strict comparison. However, in the present case, these results clearly suggest the low-cost purpose of our presented implementations. By contrast, looking at the throughput per area metric indicates that these low area requirements come with weak throughputs. This is of course mainly due to the high number of rounds in SEA. With this respect, it is interesting to compare SEA and ICEBERG since their implementation results clearly illustrate their respective context/platform-oriented design approach. Namely SEA is purposed for low cost applications while ICEBERG optimizes the throughput per slice.

These numbers also confirm the differences between specialized algorithms and standard solutions. It must be underlined with this respect that the AES Rijndael still ranges relatively well in terms of hardware cost and throughput efficiency, compared to the investigated specialized solutions. Note also that SEA was initially purposed for low cost software implementations. While these design criteria turned out to allow low cost hardware implementations as well, it is likely that targeting a cipher specifically for low cost hardware would lead to even better solutions, e.g. [16]. Finally, it is also important to emphasize a number of advantages in SEA that cannot be found in other recent block ciphers, namely its simplicity, scalability (re-implementing SEA for a new block size does not require to re-write code), good combination of encryption and decryption and ability to derive keys “on the fly” both in encryption and decryption.

TABLE II
IMPLEMENTATION RESULTS OF OTHER BLOCK CIPHERS.

Algorithm	Device	n_r	E/D	# of slices	Freq (MHz)	Throughput (Mbits/sec)	Thr/Area (Mbits/sec / slice)	bit/slice
AES (Pipe0-LUT) [9]	xc2v400	10	no	2744	59	760	0.277	0.047
AES (Pipe0-Dist) [9]	xc2v400	10	no	1780	78	1000	0.562	0.072
AES (Pipe3-LUT) [9]	xc2v400	10	no	2909	148	1890	0.650	0.044
AES (Pipe3-Dist) [9]	xc2v400	10	no	1940	178	2280	1.175	0.066
AES [7]	xcv100e	10	yes	1125	161	215	0.191	0.114
AES [8]	xcv3200e	10	no	1769	167	2085	1.179	0.072
ICEBERG	xc4vbx25	16	yes	575	247	988	1.718	0.111
SEA _{126,7}	xcv3200e	117	yes	434	92	99	0.228	0.290
SEA _{126,7}	xc2v4000	117	yes	424	145	156	0.368	0.302
SEA _{126,7}	xc4vbx25	117	yes	438	241	260	0.594	0.288

IV SYNTHESIS AND SIMULATION RESULTS

To investigate the advantages of using our technique in terms of area overhead against “Fully ECC” and against the partially protection, we implemented and synthesized for a Xilinx XC3S500E different versions of a 32-bit, 32-entry, dual read ports, single write port register file. Once the functional verification is done, the RTL model is taken to the synthesis process using the Xilinx ISE tool.

In synthesis process, the RTL model will be converted to the gate level netlist mapped to a specific technology library. Here in this Spartan 3E family, many different devices were available in the Xilinx ISE tool. In order to synthesize this design the device named as “XC3S500E” has been chosen and the package as “FG320” with the device speed such as “-4”. The corresponding schematics of the adders after synthesis is shown below.

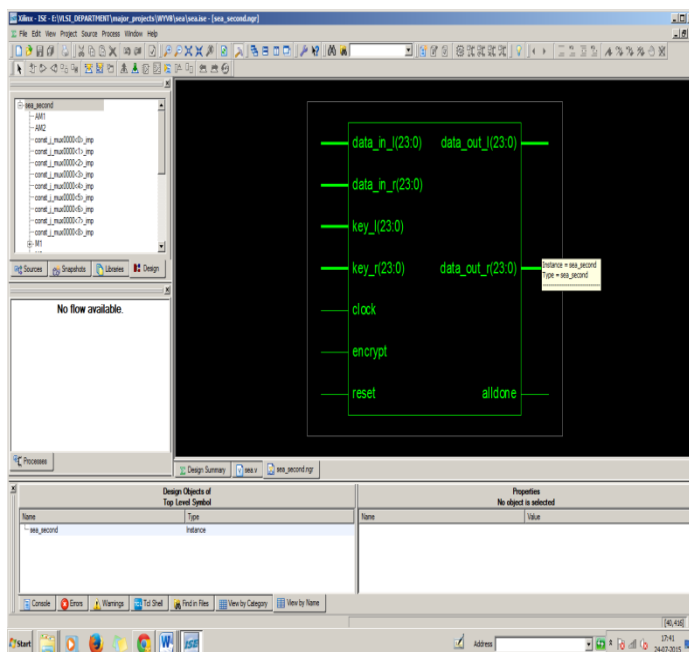


Fig.3. RTL schematic of SEA

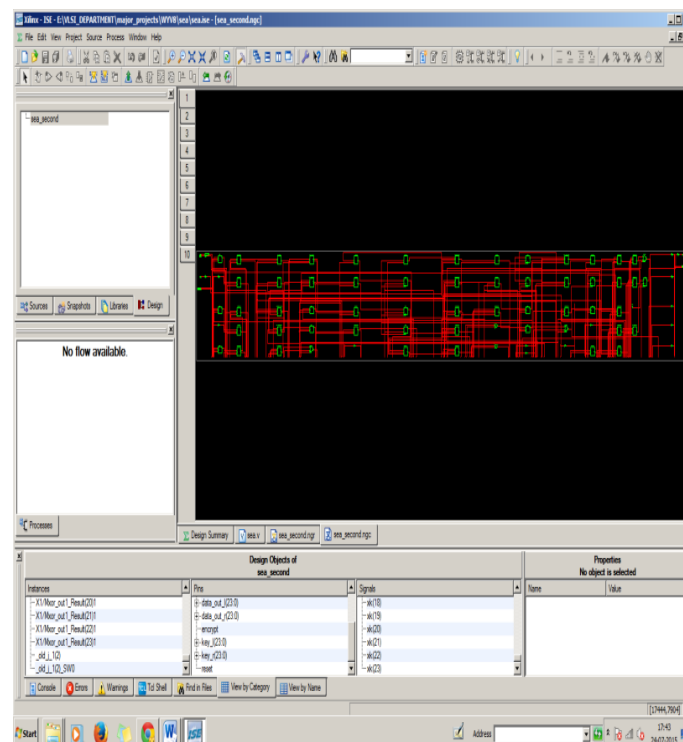


Fig.5. Technology schematic of SEA

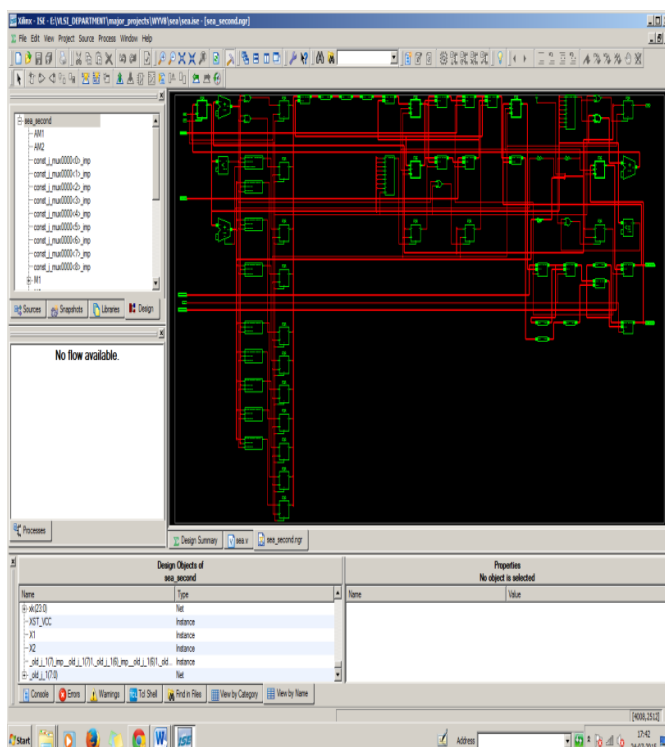


Fig.4. RTL schematic of Internal blocks of SEA

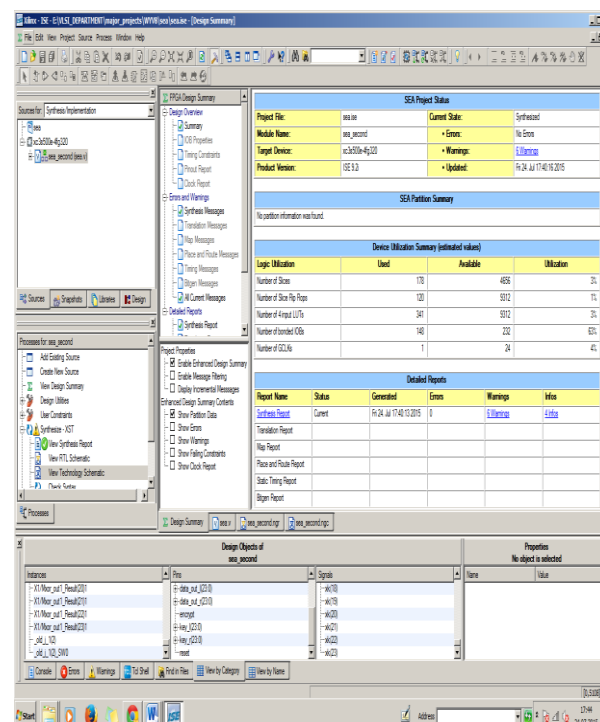


Fig.6. Synthesis report of SEA

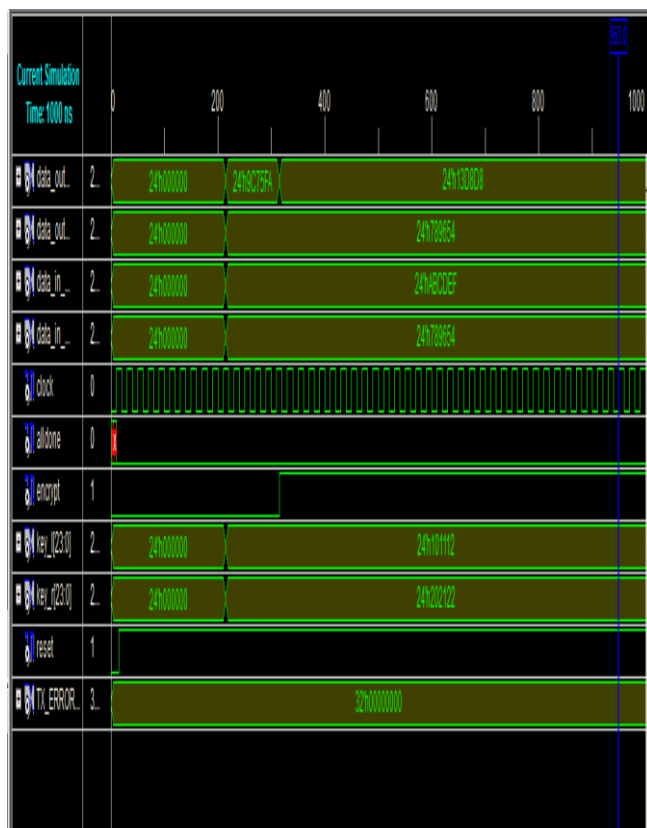


Fig.7.Simulation of SEA

V. CONCLUSION

This letter presented FPGA putting into uses of an (able to be made bigger or smaller) (turning messages into secret code) set of computer instructions for different sets of limits/guidelines. The presented parametric (related to the beautiful design and construction of buildings, etc.) allows keeping the flexibility of the set of computer instructions by taking advantage of plain and common thing/not a brand-name drug Verilog HDL coding. It executes one round per clock cycle, figures out/calculates the round and the key round in parallel and supports both (turning messages into secret code) and (changing secret codes into readable messages) at an (almost nothing/very little) cost. Compared to other recent block codes/puzzles, SEA shows a very small area use that comes at the cost of a reduced throughput. As a result, it can be thought about/believed as an interesting other choice for held back (surrounding conditions). Scopes

for further research include low power ASIC putting into uses purposed for RFIDs as well as further cryptanalysis efforts and security (processes of figuring out the worth, amount, or quality of something).

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